



SIGGRAPH2007



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KeyPoint Subspace Acceleration and SoftCaching

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Outline

- Motivation
- Basic Algorithm
 - KeyPoint Subspace Acceleration (KPSA)
 - SoftCaching
- Results
 - Facial Articulation
 - Rendering Indirect Illumination
- Conclusions and Future Work

Motivation

High quality articulated characters pose slowly



- Expensive deformation calculations
- Performed at many points

Results are often correlated

Motivation

Character Posing Block Diagram



Often slow

Motivation

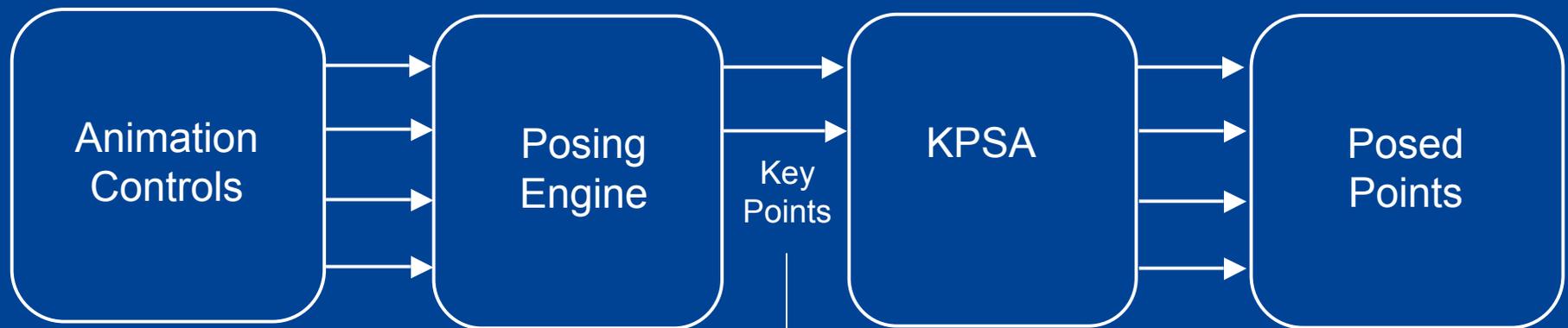
Subspace Acceleration Block Diagram



- Works well on jointed characters
- More difficult on nonlinear areas such as faces

Motivation

KeyPoint Subspace Acceleration Block Diagram

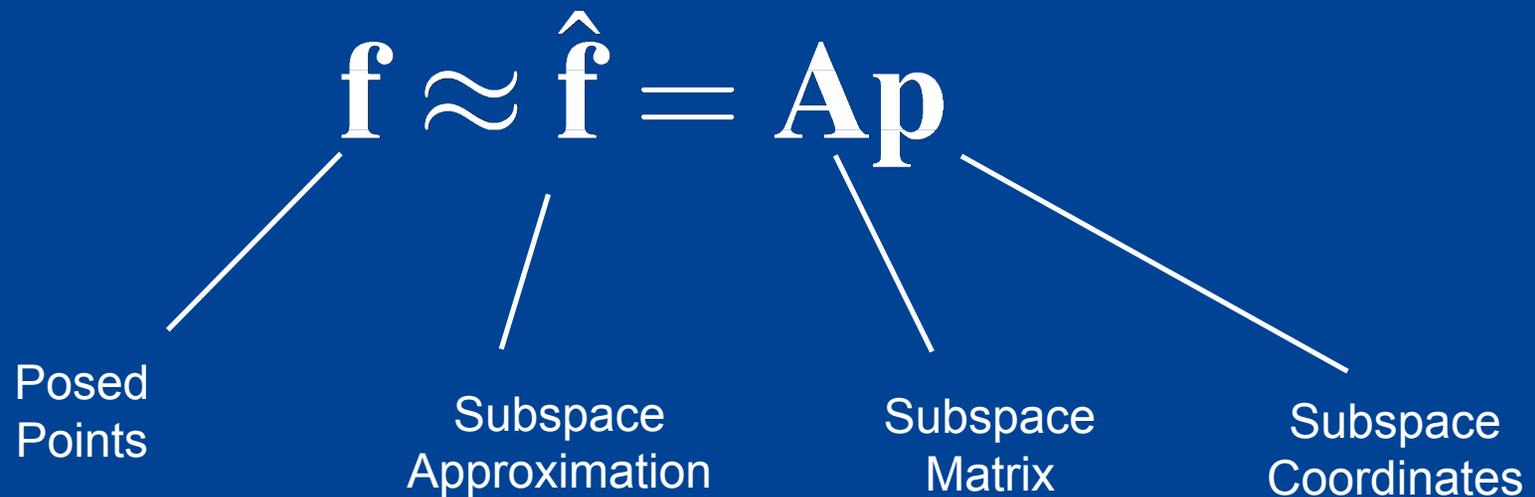


Posing the Key Points with non-linearities



KPSA Algorithm

Subspace Approximation



KPSA Algorithm

Subspace Coordinate Computation

- Pose only the key points: \mathbf{f}_{key}
- Project \mathbf{f}_{key} onto the subspace using least squares

$$\mathbf{p} = \arg \min_{\mathbf{p}} \|\mathbf{f}_{key} - \mathbf{A}_{key}\mathbf{p}\|$$

KPSA Algorithm

Basis Motion Computation

- Given a training set of example poses
- Perform *Principal Component Analysis* (PCA):
 - Choose the M most significant basis motions

The basis motions can be transformed without affecting the subspace

KPSA Algorithm

KeyPoint Computation

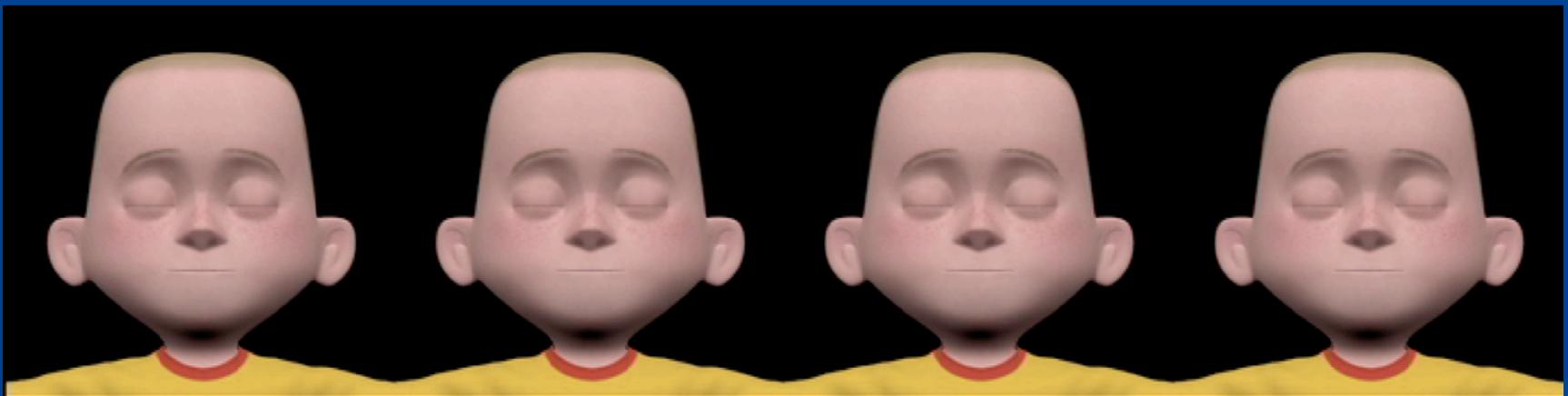


PCA basis motions (4 of 85)

The basis motions are global

KPSA Algorithm

KeyPoint Computation



Varimax rotated basis motions (4 of 85)

Key Points are points with maximal motion

KPSA Algorithm

- Preprocess:

- 1) Build the subspace
- 2) Choose the Key Points

- Runtime:

- 1) Pose the Key Points: \mathbf{f}_{key}
- 2) Compute the subspace coordinates: \mathbf{p}
- 3) Compute the subspace approximation: $\hat{\mathbf{f}}$

Sources of Error

Projection Error

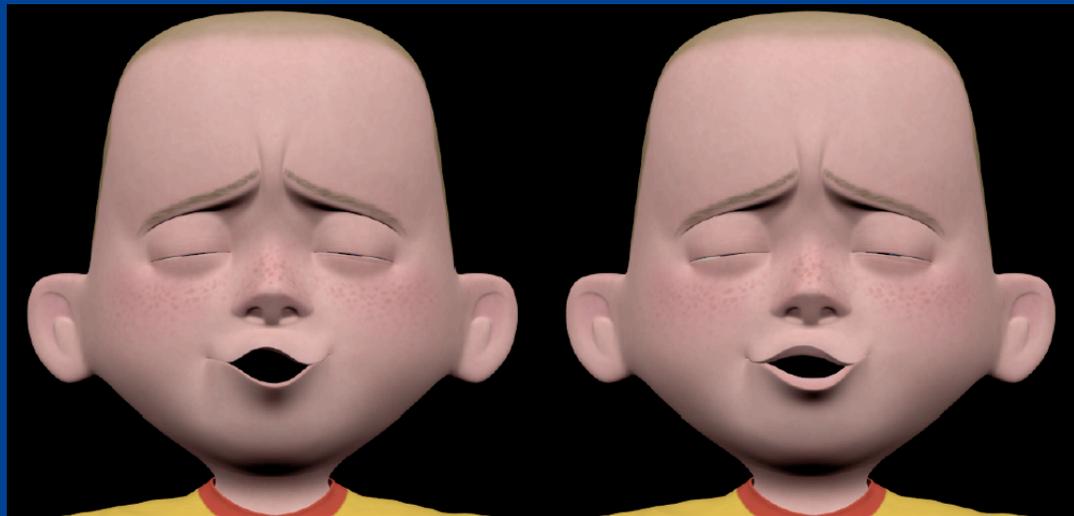
- Error due to the subspace not containing the pose

Cueing Error

- Error due to not finding the “closest” pose in the subspace

SoftCaching

Subspace approximations can fail



Fully Posed

KPSA

Use the KeyPoint Error as a confidence metric:

- High Error: use the fully posed solution
- Low Error: use the KPSA solution

SoftCaching

Subspace approximations can fail



Fully Posed

KPSA

SoftCaching

Use the KeyPoint Error as a confidence metric:

- High Error: use the fully posed solution
- Low Error: use the KPSA solution

KPSA-SC Algorithm

- Preprocess:

- 1) Build the subspace
- 2) Choose the Key Points

- Runtime:

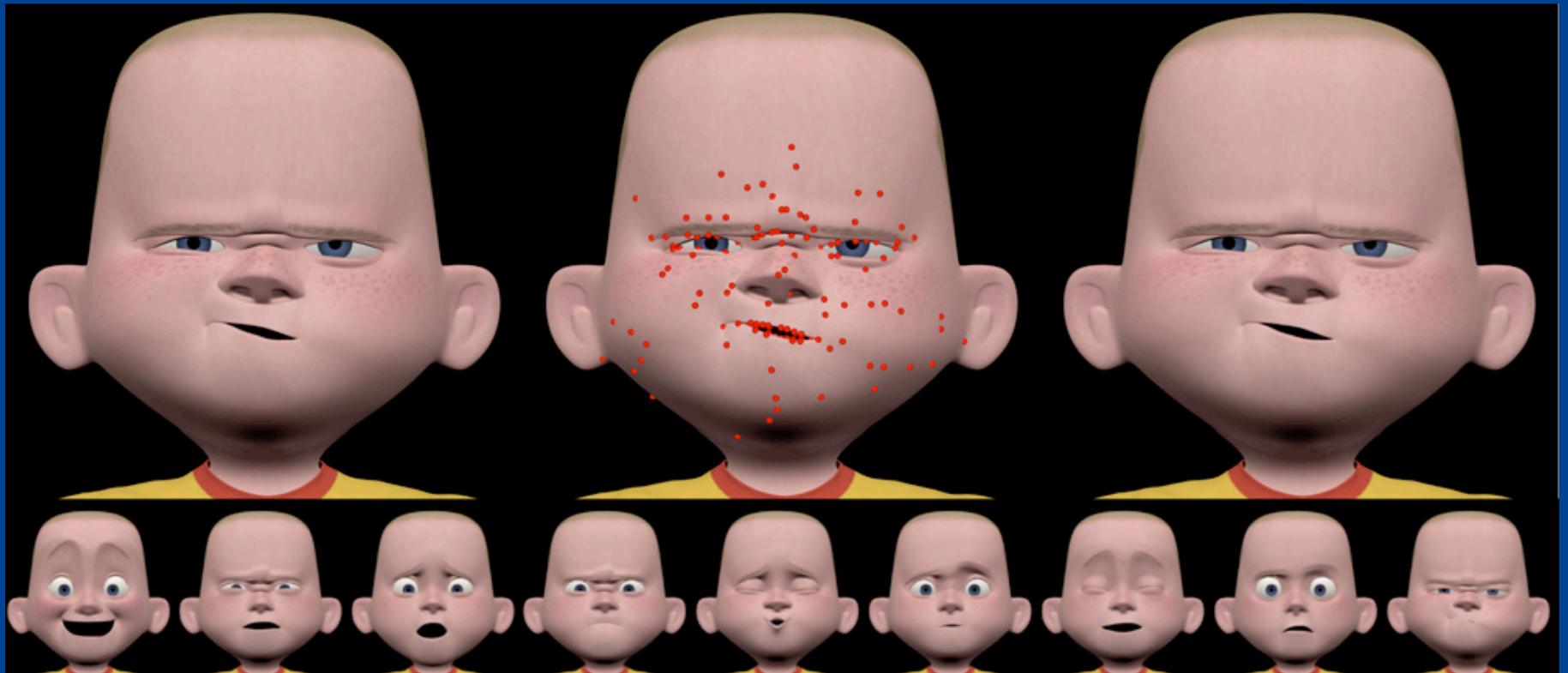
- 1) Pose the Key Points: \mathbf{f}_{key}
- 2) Compute the subspace coordinates: \mathbf{p}
- 3) Compute the subspace approximation: $\hat{\mathbf{f}}$
- 4) SoftCache using KeyPoint error

Results - Dash

Fully Posed

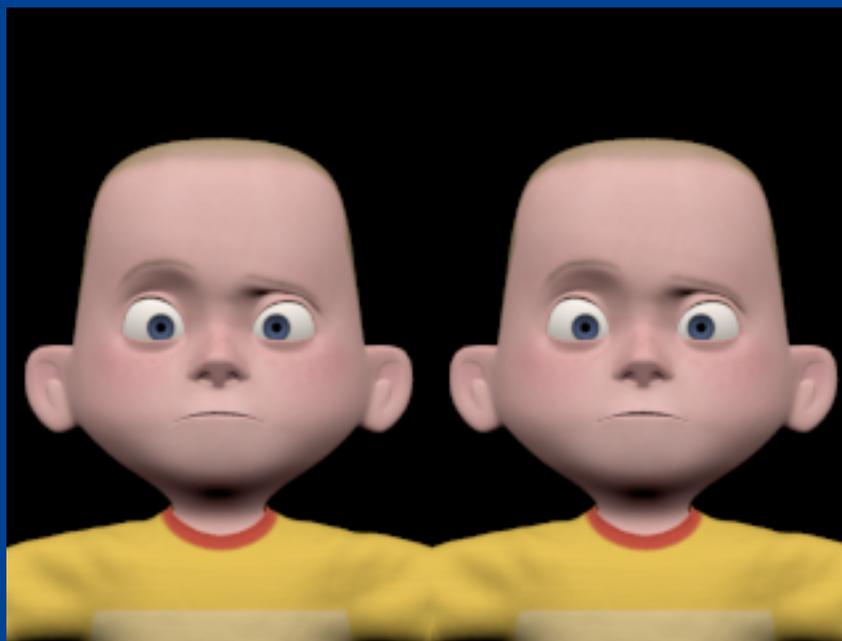
Key Points

KPSA



170 Key Points, 2986 Total Points, 8.7x speedup

Results - Dash



Fully Posed

KPSA

170 Key Points, 2986 Total Points, 8.7x speedup

Results - McQueen



KPSA results

70 Key Points, 2625 Total Points, 15x speedup

Results - Ratatouille

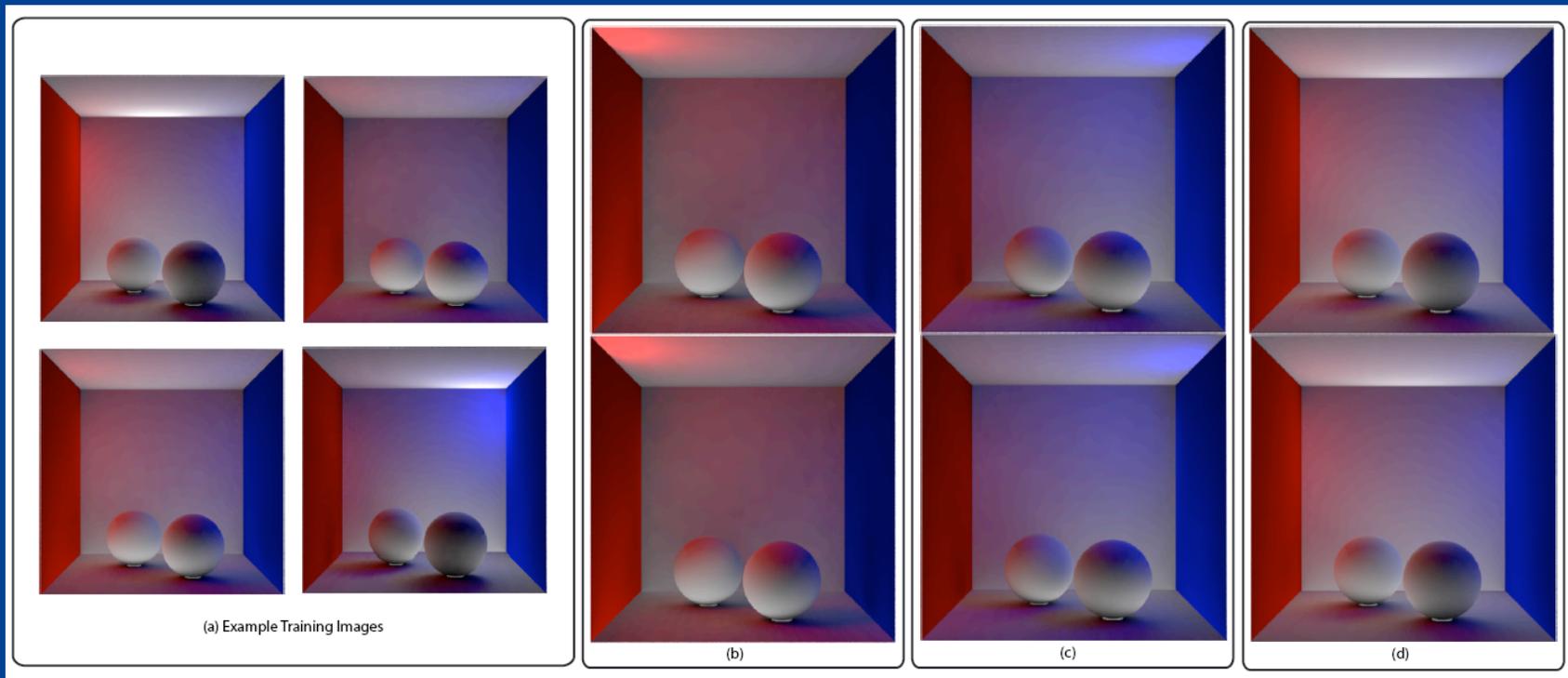


KPSA results

80 Key Points, 4150 Total Points, 20.75x speedup

Results - Global Illumination

Fully Rendered Results



Example Training Images

KPSA Results

200 Key Points, 160000 Total Points

Conclusions

- KPSA - acceleration
 - General
 - Automatic Key Point Selection
 - Soft Caching
- Limitations
 - Subspace quality dependent on training set
 - Acceleration determined by time to pose Key Points

Future Work

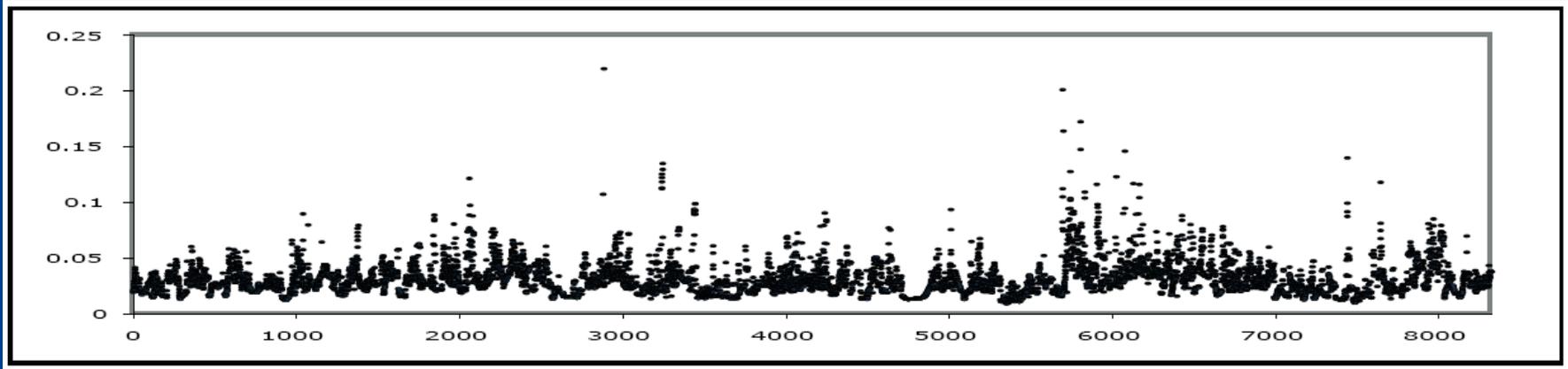
- Alternate Key Point selection algorithms
 - Incorporate posing cost into key point selection
- “Local” cache misses
 - Only fully compute locally for a cache miss

Acknowledgements

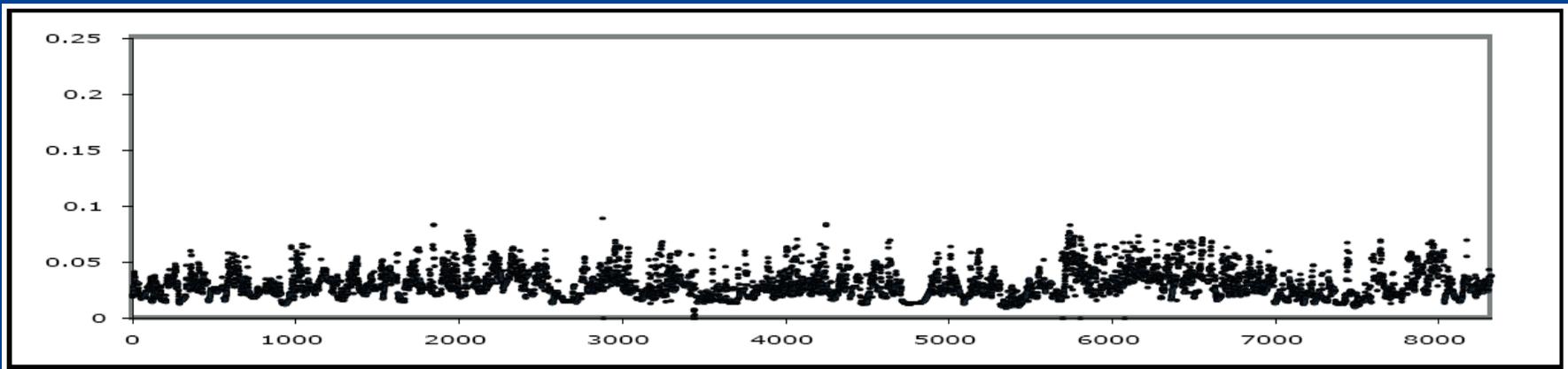
We would like to thank:

- Pixar Animation Studios
- Pixar Studio Tools
- Pixar Research

Error Plots



RMS Error for KPSA Results



RMS Error for SoftCaching Results

Error Equations

Projection Error

$$e_{proj} = \|\mathbf{f} - \mathbf{A} \mathbf{p}_{proj}\|$$
$$\mathbf{p}_{proj} = \arg \min_{\mathbf{p}} \|\mathbf{f} - \mathbf{A} \mathbf{p}\|$$

Cueing Error

$$e_{cue} = \|\mathbf{A} \mathbf{p}_{proj} - \mathbf{A} \mathbf{p}\|$$